

# Advanced Programming in Quantitative Economics

Introduction, structure, and advanced programming techniques

Charles S. Bos

VU University Amsterdam  
Tinbergen Institute

`c.s.bos@vu.nl`

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## Tutorial Day 1 - Morning

### 11.00 Implementation of first program

1. Get acquainted with help system
2. Print a matrix, get started (`main`, `print`)
3. Print successively rows of a matrix (`for-loop`)
4. Implement back-substitution, to solve  $\mathbf{U}x = \mathbf{b}$

### 12.30 Lunch

## Practicalities

- ▶ Create your own directory (with your name) on the network drive
- ▶ In your directory, create a subdirectory for each practical, for me this would be cbos/p1a, for afternoon I would use cbos/p1b
- ▶ Save your work in these subdirectories, such that TAs can help/take a look over your shoulder
- ▶ Feel free to ask

## Exercise 1: Get acquainted

- ▶ Open up OxEEdit, run `myfirst.ox`
- ▶ Open up the help-file (press F1 in OxEEdit)
- ▶ Leaf through the 'function summary' in the help file: What types of functions are available?
- ▶ Search for the `print` and `println` statements. What is the difference?

## Exercise 2: Print a matrix

Write an Ox program which

- ▶ contains all necessary explanations
- ▶ declares a matrix and a vector, giving them the values

$$A = \begin{pmatrix} 6 & -2 & 2 & 4 \\ 0 & -4 & 2 & 2 \\ 0 & 0 & 2 & -5 \\ 0 & 0 & 0 & -3 \end{pmatrix}, \quad b = \begin{pmatrix} 16 \\ -6 \\ -9 \\ -3 \end{pmatrix}$$

- ▶ prints them, with output on screen as to which is which
- ▶ prints the maximum element of  $A$ , and the minimum of  $b$ .
- ▶ you save as `exer2print.ox`.

## Exercise 3: Backsubstitution

Solve the system  $Ax = b$  for the matrices you defined before. As a hint, the way to solve it was

$$x_n = b_n/a_{nn}, \quad x_i = \left( b_i - \sum_{j>i} a_{ij}x_j \right) / a_{ii}, \quad i = n-1, \dots, 1$$

Think about it before you begin: It might be easier to first define

$$s = \sum_{j>i} a_{ij}x_j$$

and for all  $x_n, \dots, x_1$  use the same formula for solving.

For this purpose, maybe start with a simple `exer3for.ox` where you show you can count backwards using a for-loop.

Initialise  $x$  as a vector of the correct size of zeros (see `zeros()`).

Afterwards, write `exer3bs.ox`, showing the solution for  $x$ . How can you/the program check that your solution is correct?

## Exercise 4: BS function

As an extra, take your old program and push the backsubstitution into a function. What would the inputs and outputs of the function be?

Save the result as `exer4bsfunc.ox`.